

# Analysis of the Anomalous $Wtb$ couplings in the t-channel single top quark production

- ~ Anomalous  $Wtb$  couplings
- ~ Scenarios for t-channel analysis
- ~ Contribution of the Anomalous  $Wtb$  couplings to  $t\bar{t}$  /  $tW$  processes

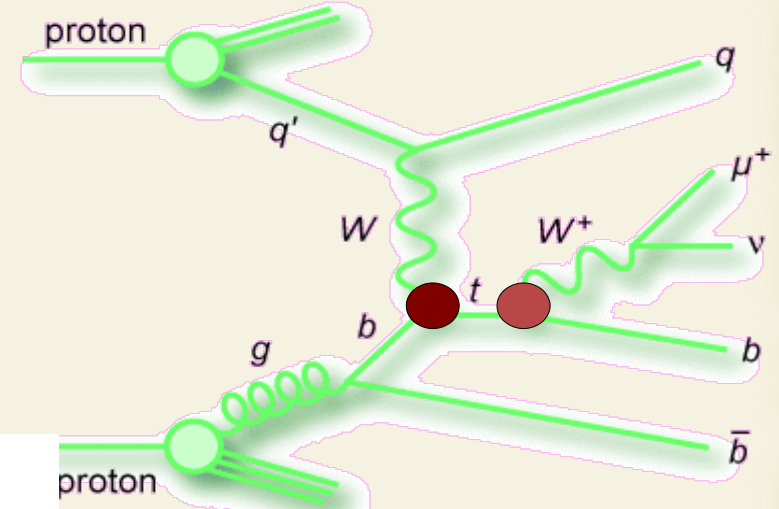
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*QFTHEP 2013*

# Anomalous Wtb couplings in t-channel

## ~ Anomalous Wtb vertex structure



**Common form of the  
Effective Wtb vertex lagrangian.  
Vertex functions approach**

$$\mathcal{L}_{tbW} = \frac{g}{\sqrt{2}} W_{\mu}^{-} \bar{b} \gamma^{\mu} (f_1^L P_L + f_1^R P_R) t$$

$$- \frac{g}{\sqrt{2} M_W} \partial_{\nu} W_{\mu}^{-} \bar{b} \sigma^{\mu\nu} (f_2^L P_L + f_2^R P_R) t + h.c.$$

Left and right vector operators

Left and right tensor operators

SM:	Vtb	0	0	0	(1000)
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$$L_V \equiv f_1^L, R_V \equiv f_1^R, L_T \equiv f_2^L, R_T \equiv f_2^R$$

~ Analysis Strategy: different scenarios: (Lv,Rv), (Lv,Lt), (Lv,Rt)  
- only two couplings are non-zero at the same time

# Anomalous Wtb, (L<sub>V</sub>,R<sub>V</sub>) scenario, CompHEP MC simulation

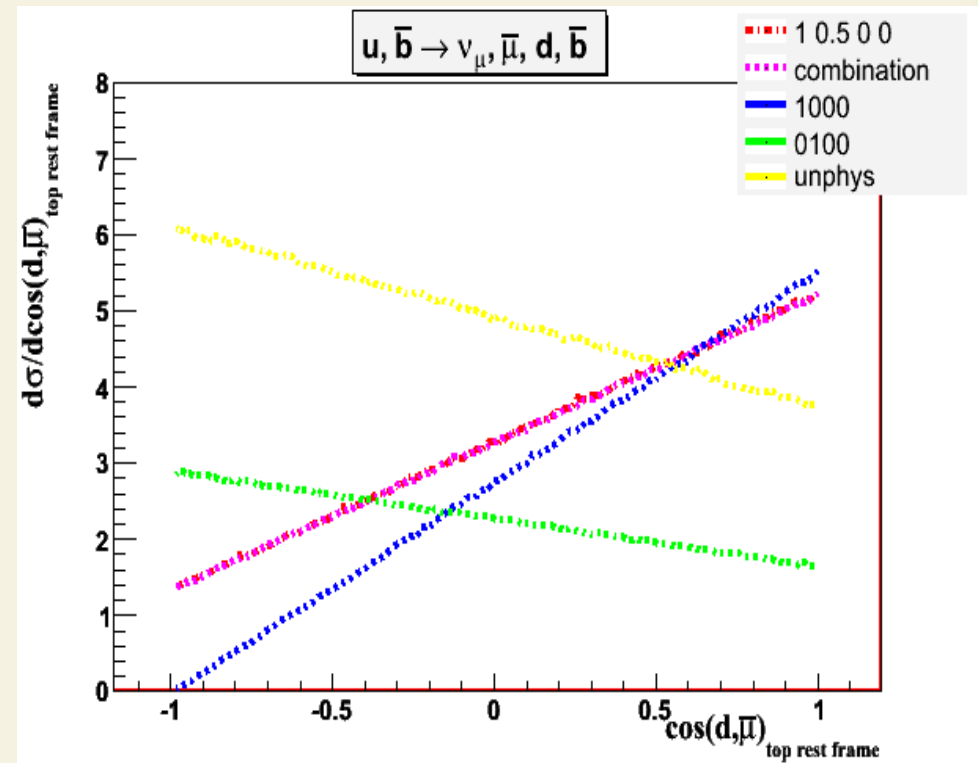
~ Production+decay case, (  $\textcircled{L_V}$  ,  $\textcircled{R_V}$  ) scenario

~ The case with  $L_V, R_V$  in both Wtb vertex:

$$\sigma_{\text{production+decay}}(L_V, R_V) = m \cdot (1000) + n \cdot (\text{unphys}) + k \cdot (0100)$$

$$m = (L_V)^4 \frac{W_{1000}}{W_{(L_V, R_V)}} \quad n = (L_V)^2 \cdot (R_V)^2 \frac{W_{\text{art}}}{W_{(L_V, R_V)}} \quad k = (R_V)^4 \frac{W_{0100}}{W_{(L_V, R_V)}}$$

*Distribution of the  $\cos(q,l)$   
in the top rest frame for the t-channel  
single top quark processes  
with both left and right vector  
operators in the Wtb vertex.  
(correct modeling of (1/0.5/0/0) sample  
with 1000, 0100 and «unphys» samples)*



# Anomalous Wtb, (L<sub>V</sub>,L<sub>T</sub>) scenario, CompHEP MC

~ Production+decay case, (  $\textcircled{L_V}$  ,  $\textcircled{L_T}$  ) scenario

~ The case with  $L_V, L_T$  in both Wtb vertex:

$$\sigma_{\text{production+decay}}(L_V, L_T) = p \cdot (1000) + r \cdot (\text{unphys}) + s \cdot (0010)$$

$$p = (L_V)^4 \frac{W_{1000}}{W_{(L_V, L_T)}}$$

$$r = (L_V)^2 \cdot (L_T)^2 \frac{W_{\text{art}}}{W_{(L_V, L_T)}}$$

$$s = (L_T)^4 \frac{W_{0010}}{W_{(L_V, L_T)}}$$

*Distribution of the  $\cos(q,l)$*

*in the top rest frame for the t-channel*

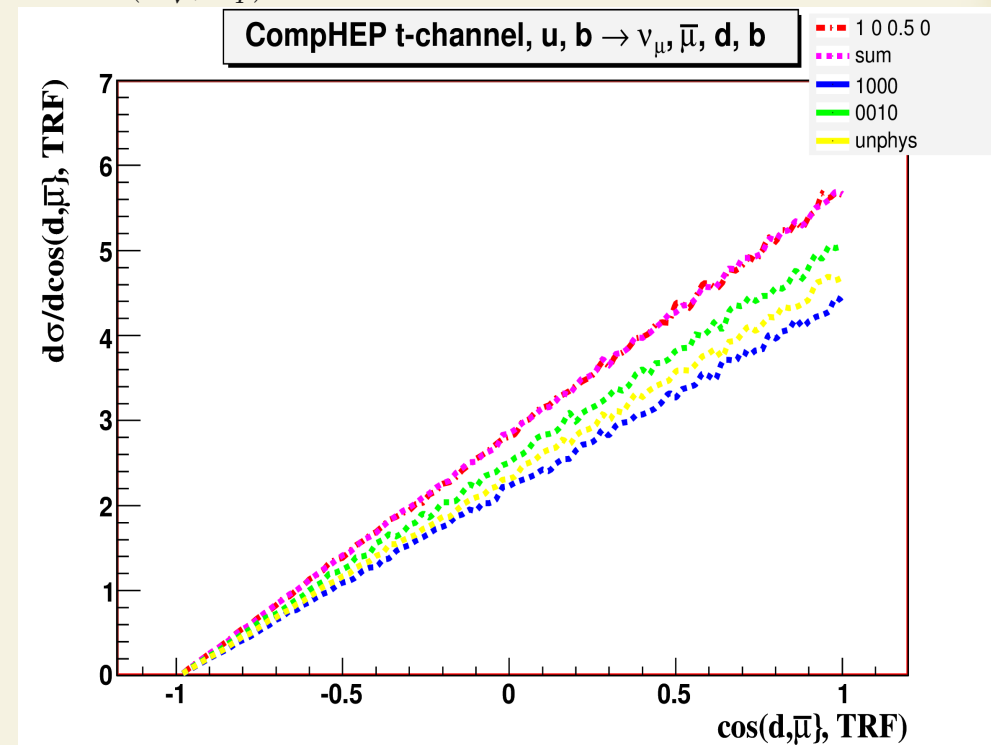
*single top quark processes*

*with both left vector and **tensor***

*operators in the Wtb vertex.*

*(correct modeling of (1/0/0.5/0) sample*

*with 1000, 0010 and «unphys» samples)*

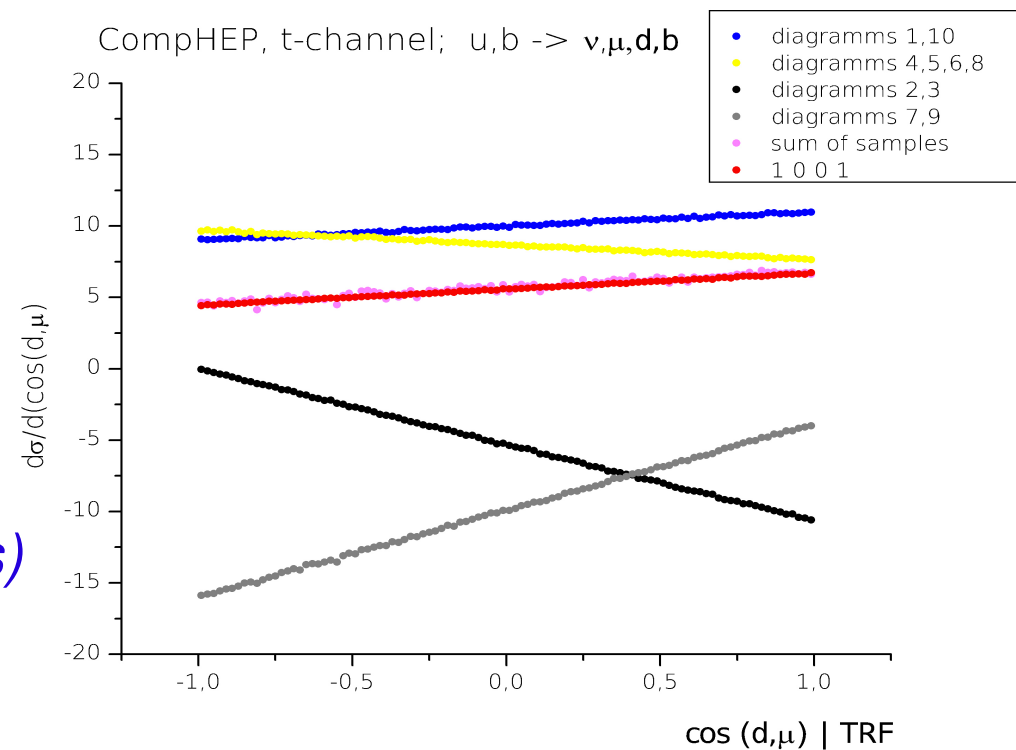


# Anomalous $Wtb$ , $(L_V, R_T)$ scenario, CompHEP MC

~ Production+decay case,  $(\textcircled{L}_V, \textcircled{R}_T)$  scenario

~ The case with  $L_V, R_T$  in both  $Wtb$  vertex:

*Distribution of the  $\cos(q,l)$  in the top rest frame for the t-channel single top quark processes with both left vector and right tensor operators in the  $Wtb$  vertex. (correct modeling of  $(1/0/0/1)$  sample with 1000-0001 and «artificial» samples)*



~ This case is more complicated

- we need more than 1 «artificial» sample

# Anomalous $Wtb$ in Single Top: simulation issues

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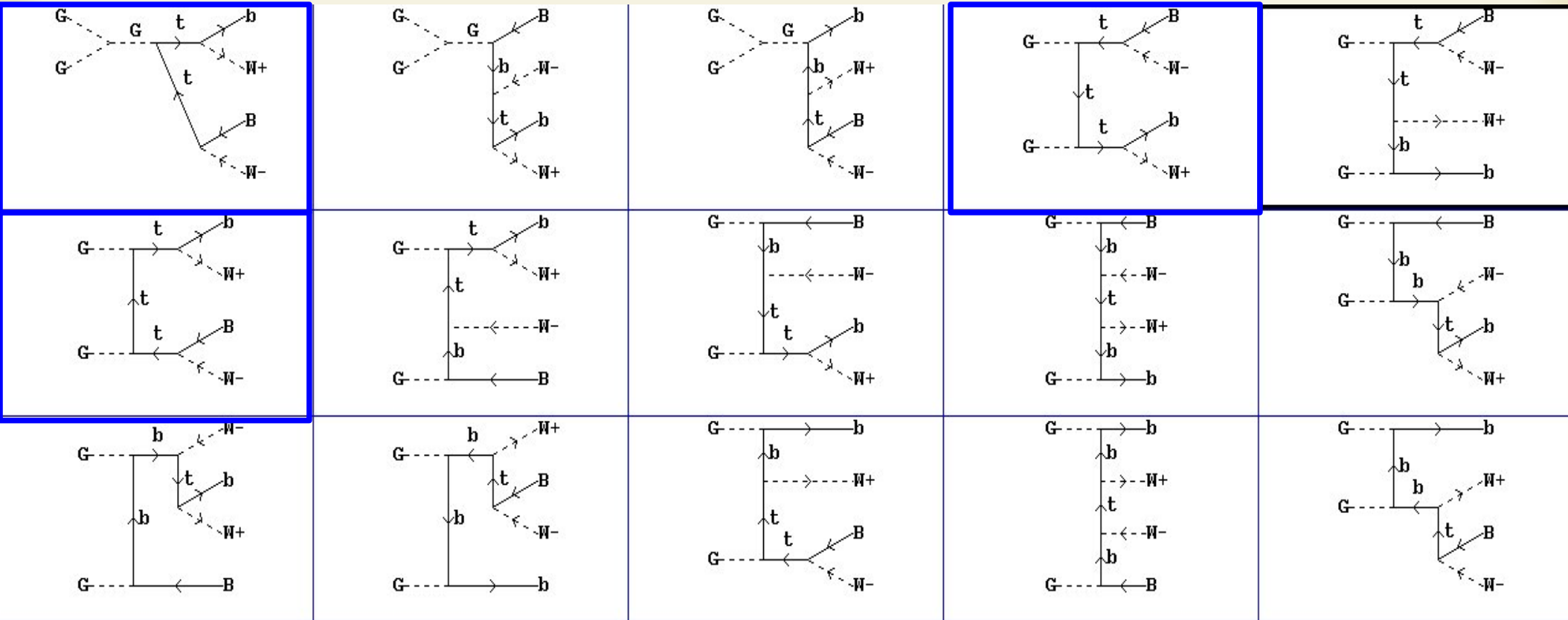
- **Correct simulation of the anomalous couplings in both vertexes is important, but significantly increases the complexity. For the first stage of analysis one can check 2D scenarios  $(LV, RV)$ ,  $(LV, LT)$ ,  $(LV, RT)$  and vary 4 couplings simultaneously next.**
- **The anomalous  $Wtb$  vertex is present in  $tW$  and  $t\bar{t}$  backgrounds. Is this contribution significant and how to simulate it? Will it increase the sensitivity of the analysis?**
- **How one can take into account NLO contribution for the simulated t-channel,  $tW$  and  $t\bar{t}$  processes with anomalous  $Wtb$  couplings contribution?**

Anomalous  $Wtb$  couplings contribution  
to the  $tW$  and  $t\bar{b}$   
background processes



# $tW+tt\bar{b}$ process: all diagrams

~ Lets look at the main subprocess of  $p, p \rightarrow \bar{t}, W+, b$  :



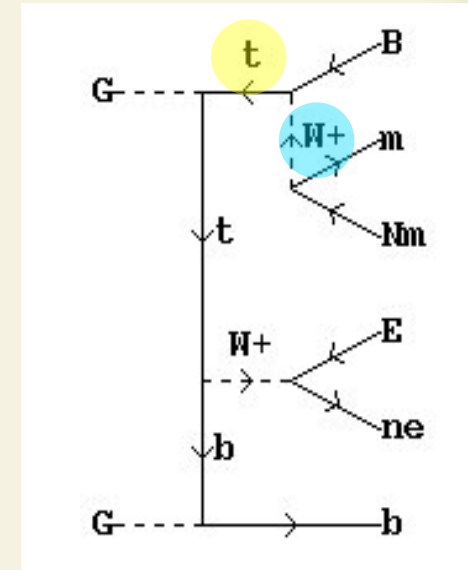
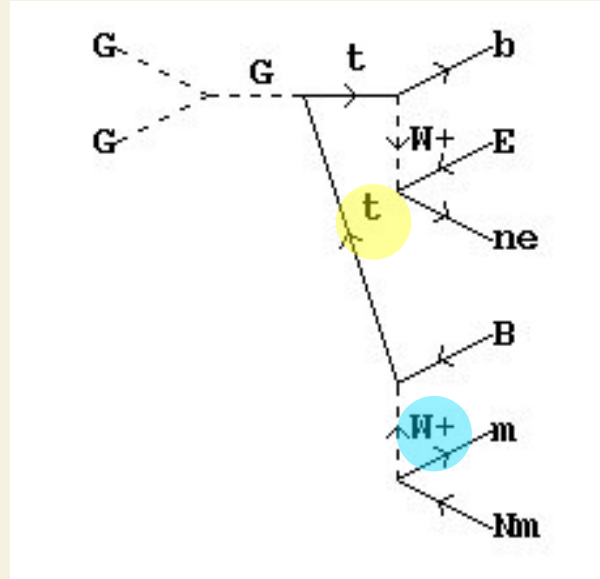
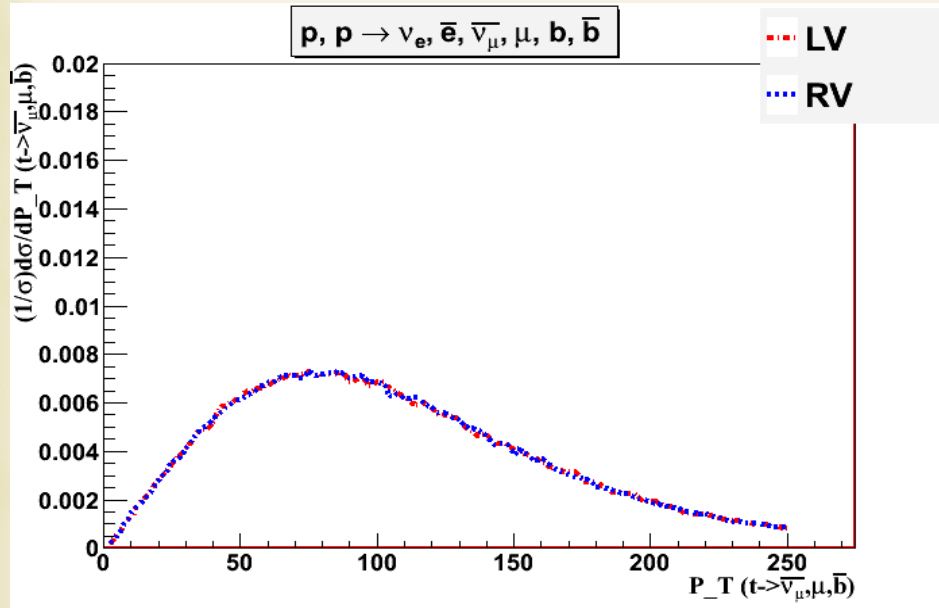
: ttbar diagram

~ All diagrams have been taken into account

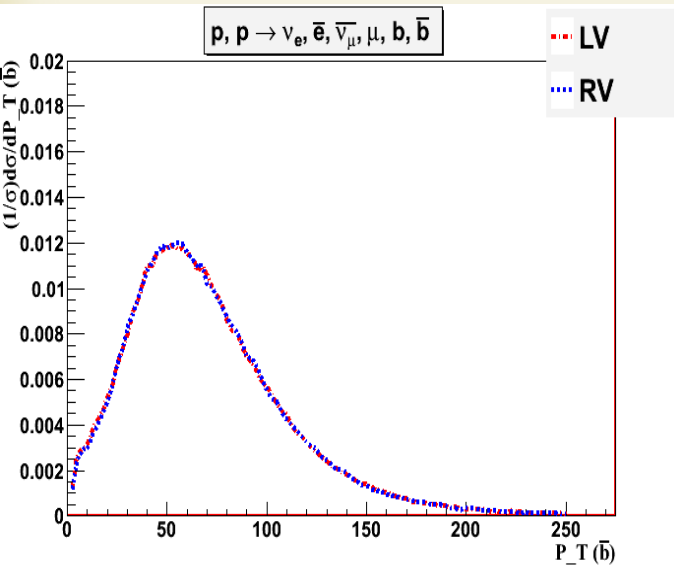
- with interference between ttbar and tW



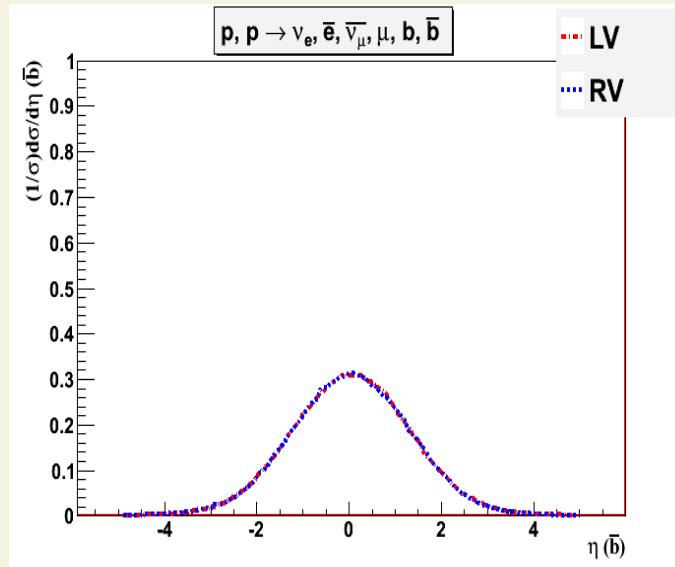
# $tW+tt\bar{b}$ process: main distributions



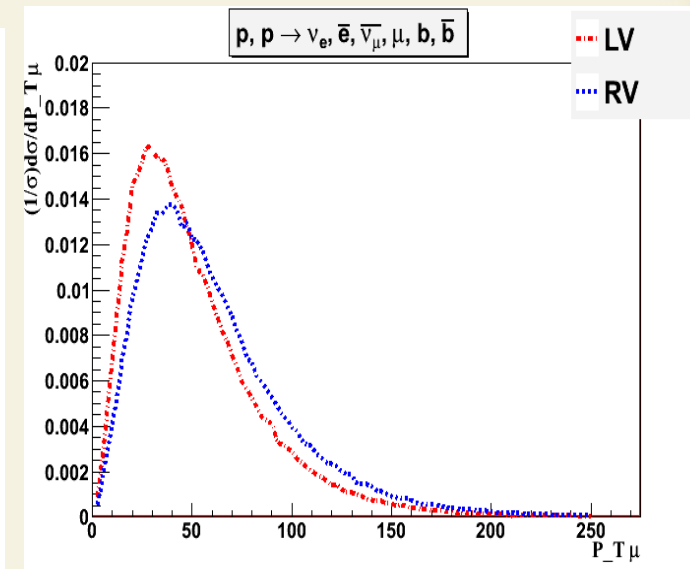
$P_T(t)$



$P_T(\bar{b})$



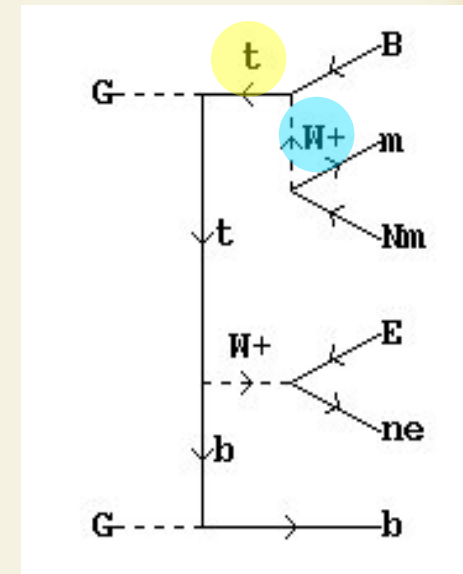
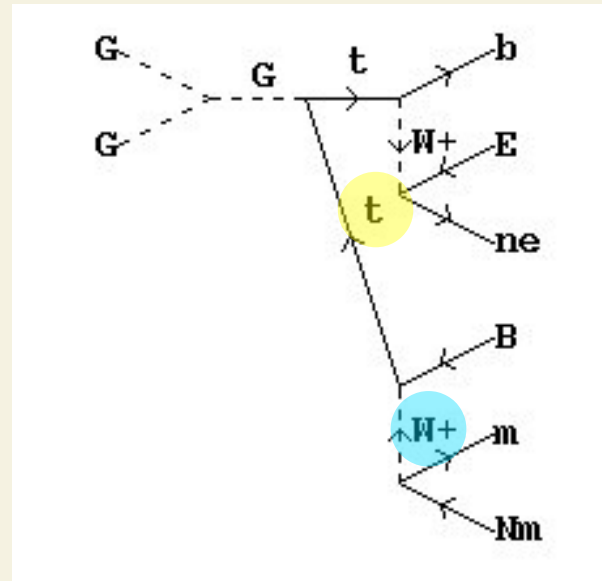
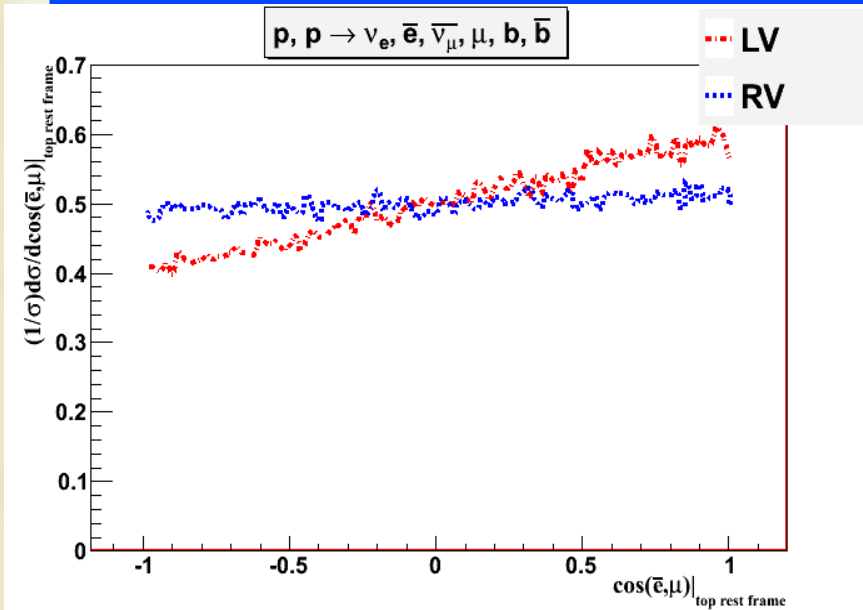
$\eta(\bar{b})$



$P_T(\mu)$

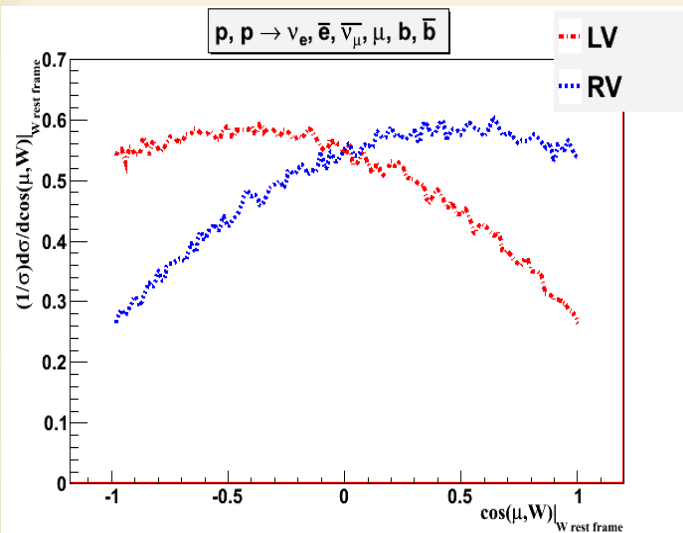
The difference is in the top-decay products distributions

# $tW+tt\bar{b}$ process: decay angular distributions

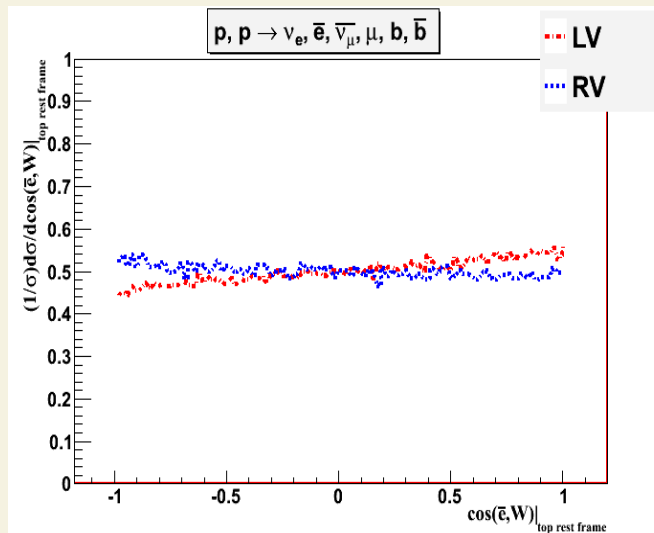


$\cos(E,m)|_{\text{top rest frame}}$

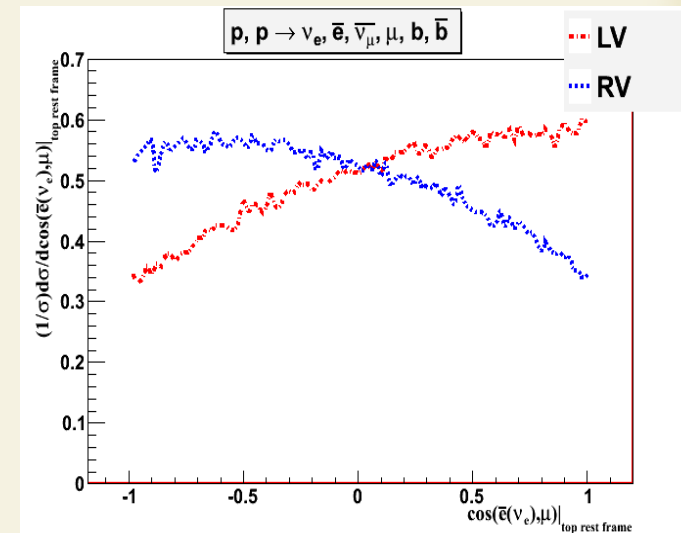
( [Phys.Lett. B534 \(2002\) 97-105](#) )



$\cos(m,W)|_{W\text{-boson rest frame}}$

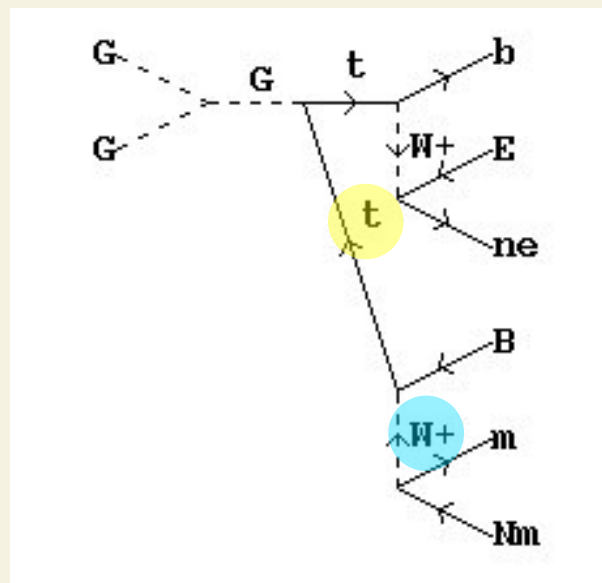
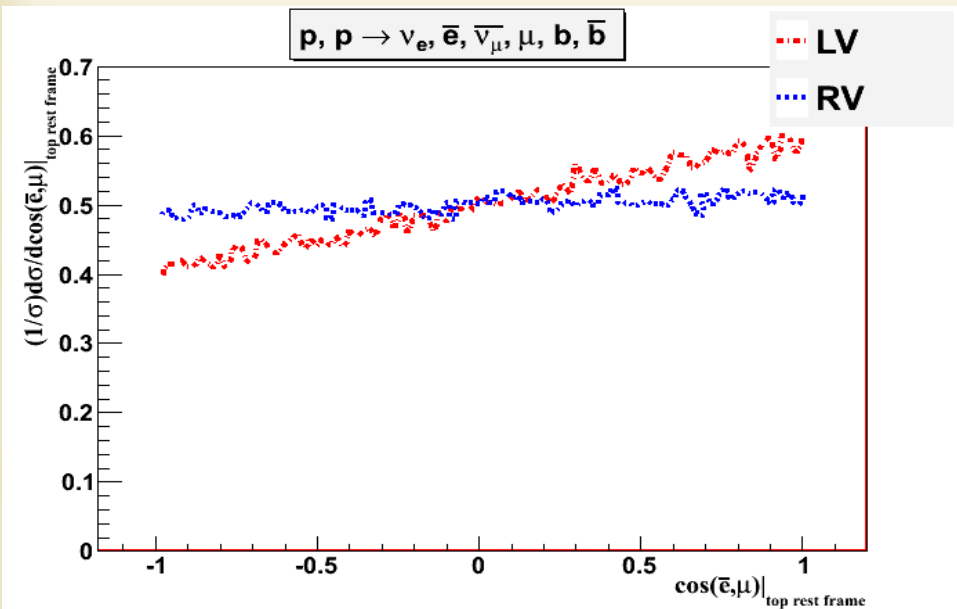


$\cos(E,W)|_{\text{top rest frame}}$

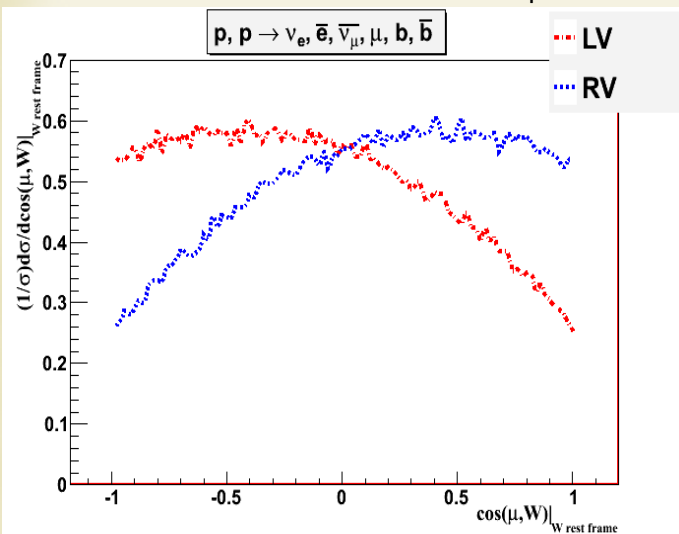


$\cos(E(\nu_e),W)|_{\text{top rest frame}}$

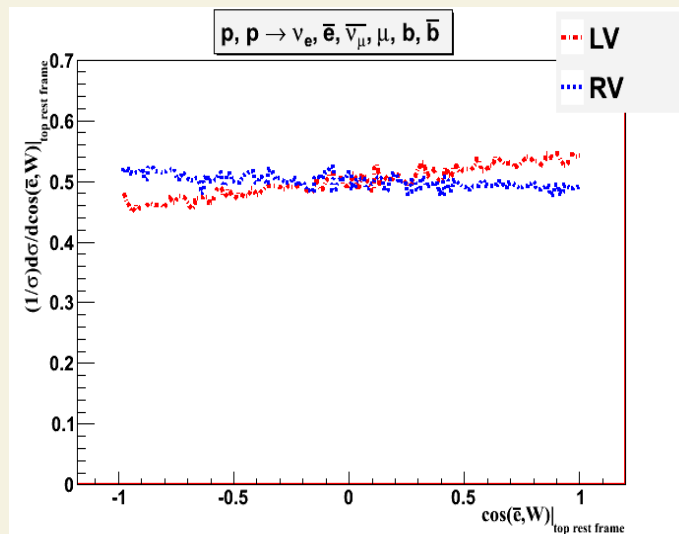
# ttbar process: decay angular distributions



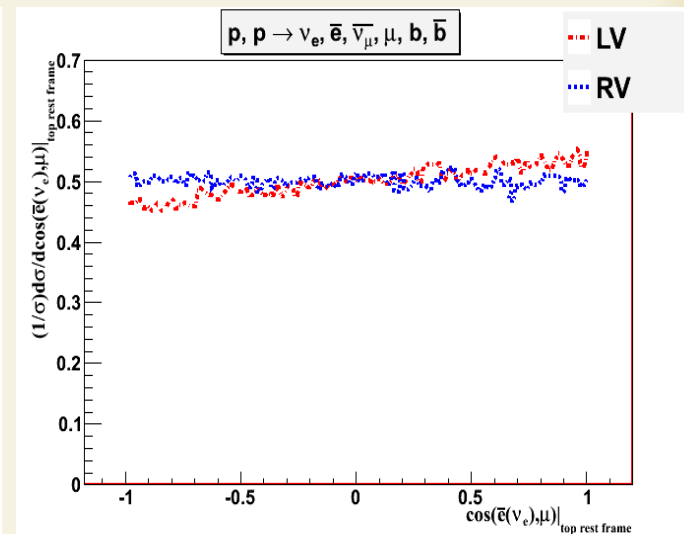
$\cos(E, m) |_{\text{top rest frame}}$



$\cos(m, W) |_{\text{W-boson rest frame}}$



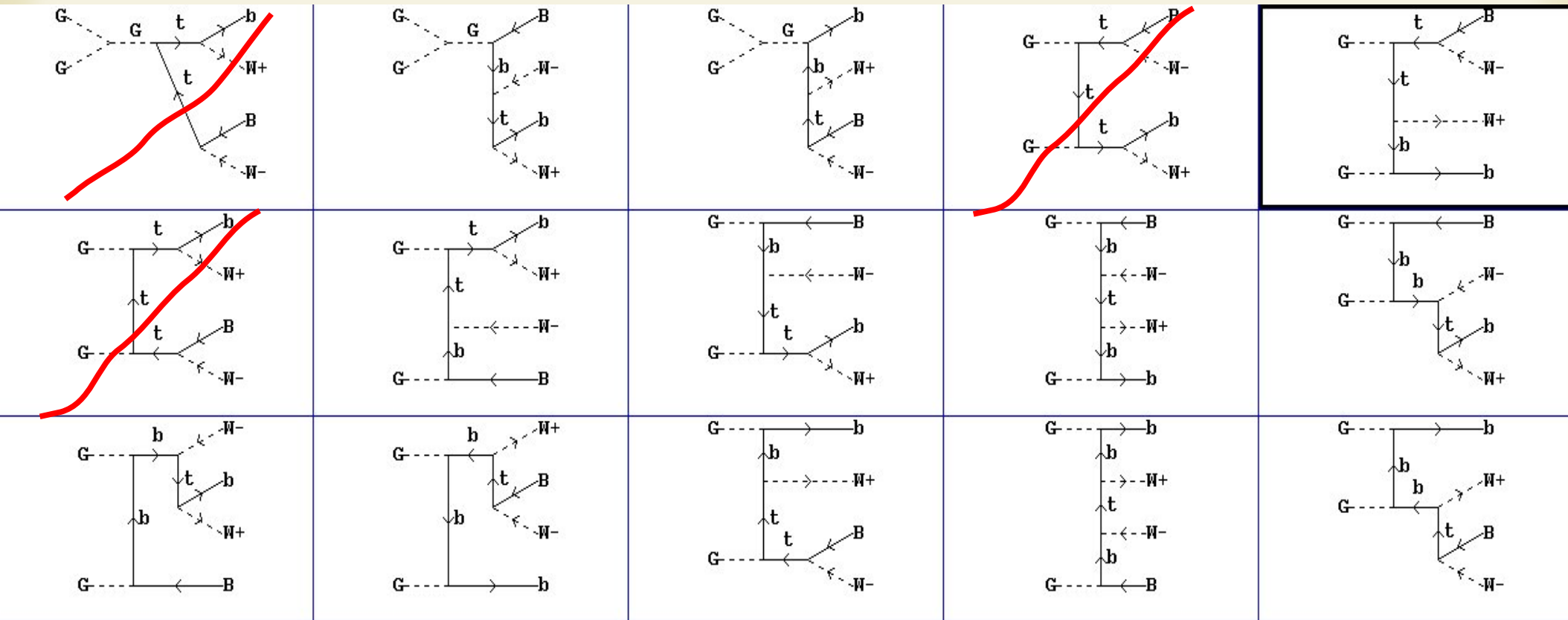
$\cos(E, W) |_{\text{top rest frame}}$



$\cos(E(\nu_e), m) |_{\text{top rest frame}}$

# tW process: all diagrams, Diagram Removal scheme

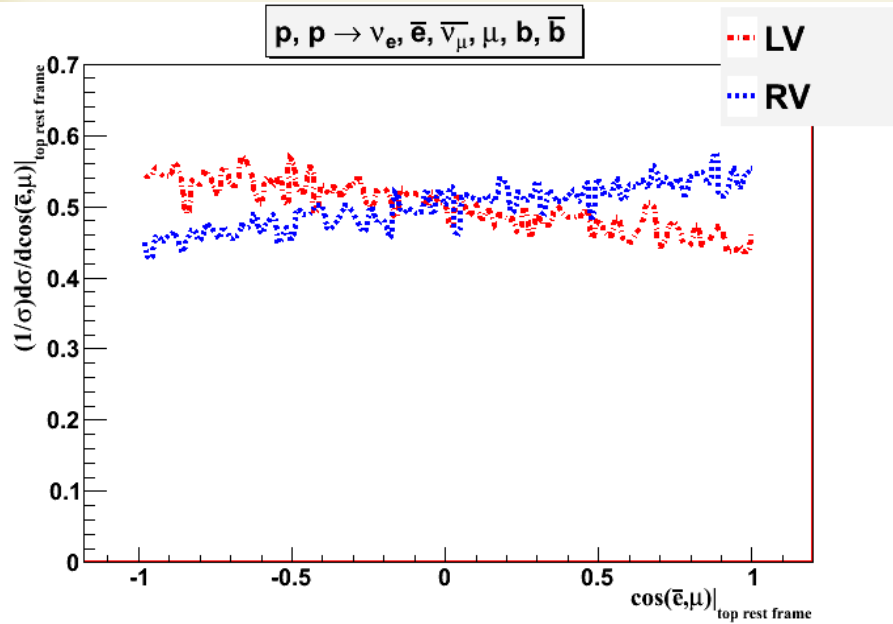
~ We look at the main subprocess of  $p, p \rightarrow \bar{t}, W^+, b$  :



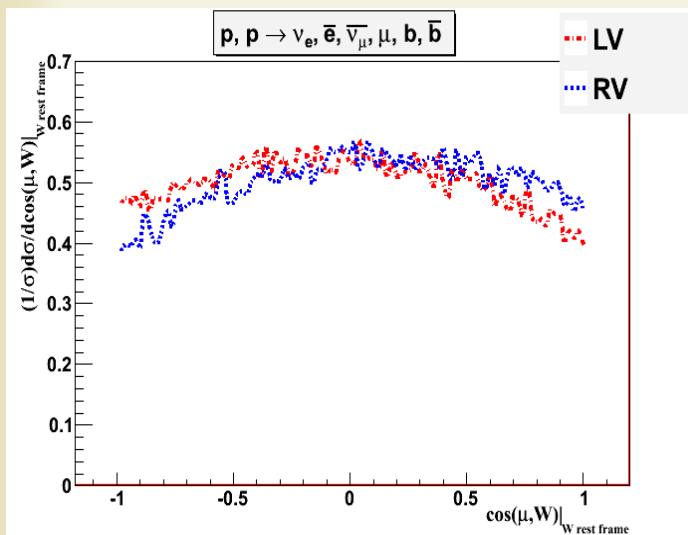
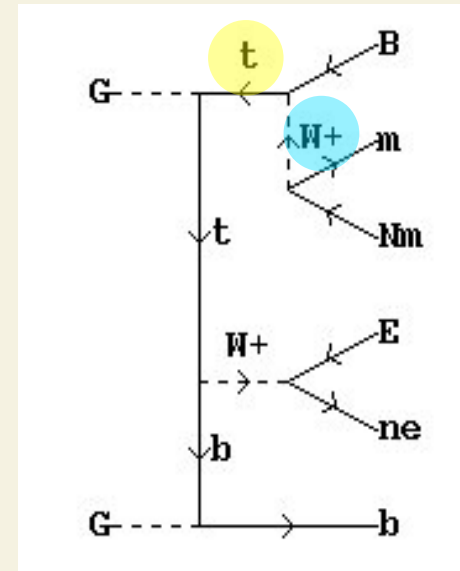
~ Diagram Removal scheme — one delete all ttbar diagrams

- no interference between ttbar and tW

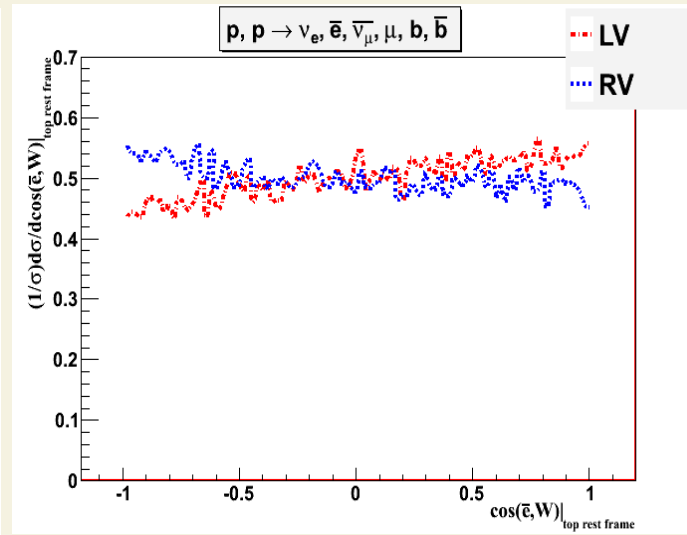
# tW process, Diagram Removal: decay angular distributions



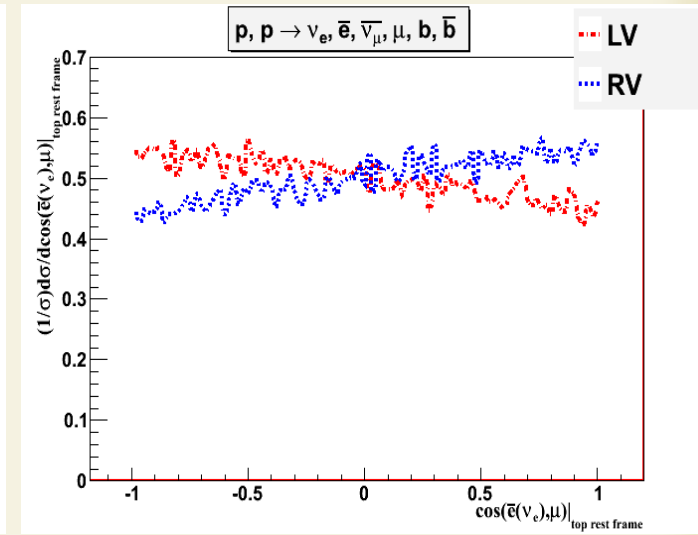
$\cos(E, m) |_{\text{top rest frame}}$



$\cos(m, W) |_{\text{W-boson rest frame}}$

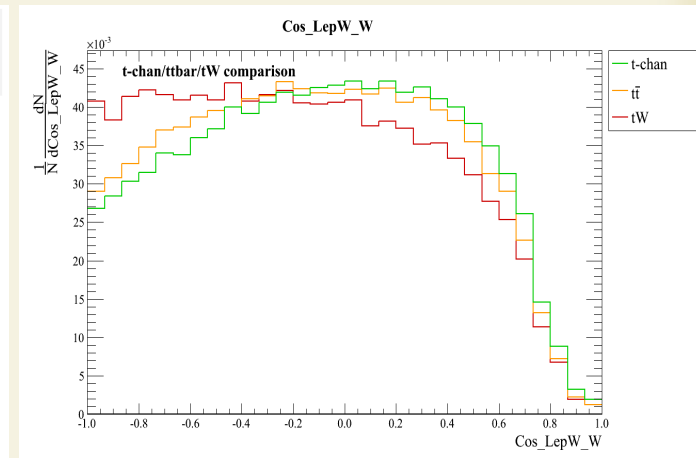
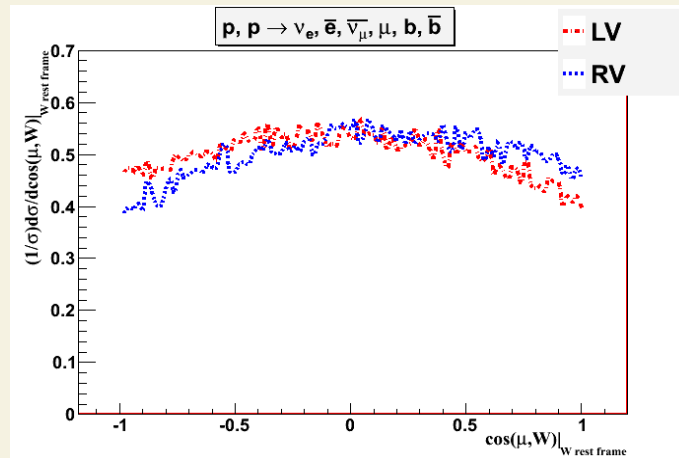
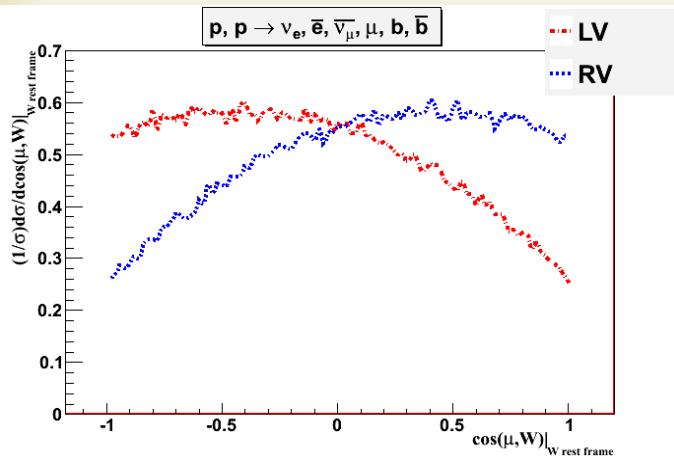
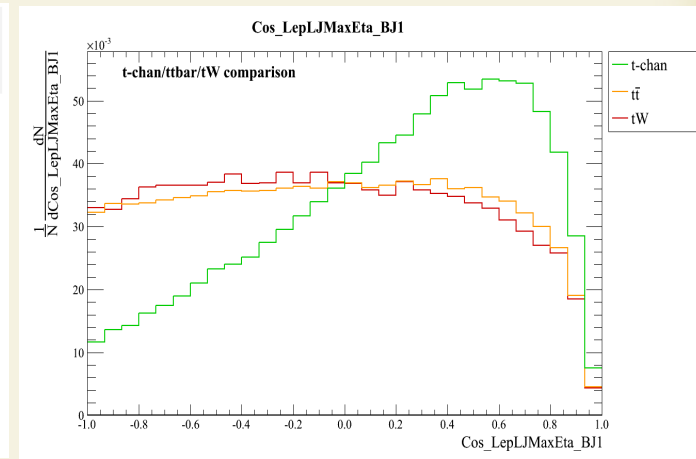
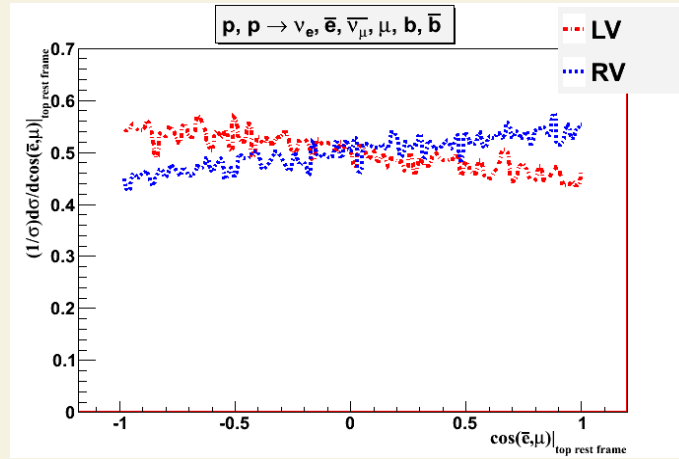
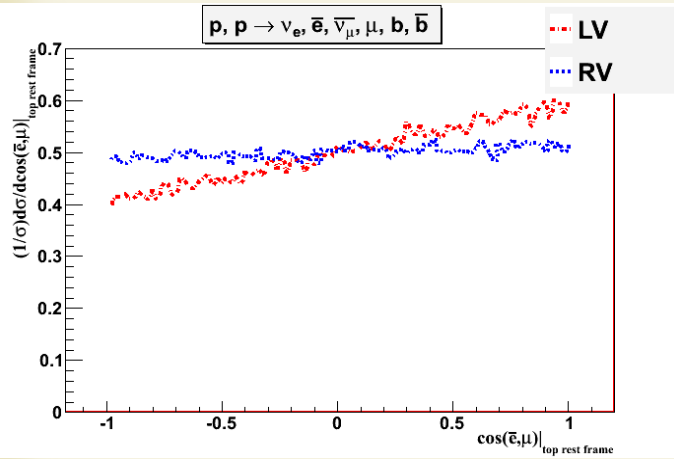


$\cos(E, W) |_{\text{top rest frame}}$



$\cos(E(\nu_e), m) |_{\text{top rest frame}}$

# AnomWtb contribution to the signal and background processes



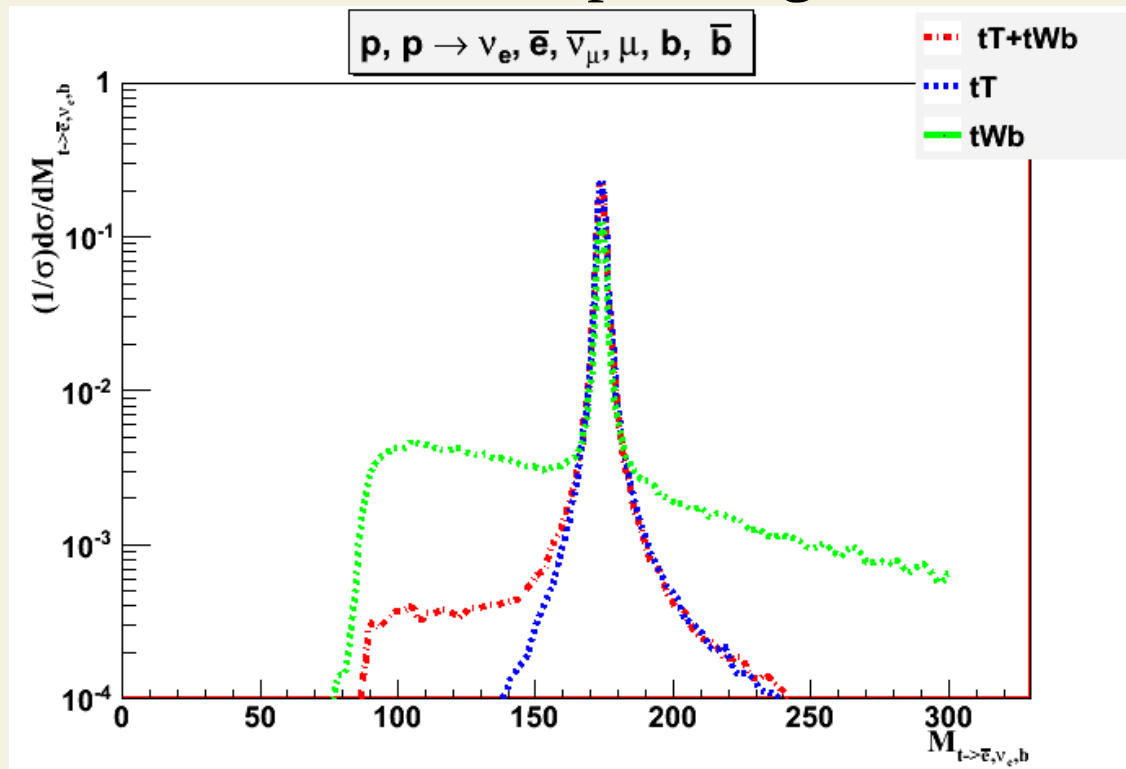
ttbar,  
CompHEP  
parton level

tW,  
CompHEP  
parton level

t-channel: CompHEP,  
ttbar: Madgraph,  
tW: POWHEG  
LV only

# How to apply NLO k-factors to tW+ttbar simulation with anomalous Wtb couplings

- There are separate NLO/NNLO calculations for tW (single resonance) and ttbar (double resonance) processes. The interference between two is negative and important
- The approximate k-factor can be extracted from the fit of invariant mass of Wb corresponding to the second resonance





## Anomalous $Wtb$ couplings in the t-channel analysis: summary

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- ~ Proper simulation of the anomalous couplings in both – production and decay - vertexes is significant
- ~ The contribution of anomalous operators to the kinematics of  $t\bar{t}$  and  $tW$  background processes is significant
- ~ The available NLO k-factors can be applied to t-channel directly and to  $tW+t\bar{t}$  with invariant mass fitting (double resonance and single resonance contribution)
- ~ This study is being implemented in the corresponding analysis of CMS collaboration