

Modeling of single top $tW+b$ signal at the LHC

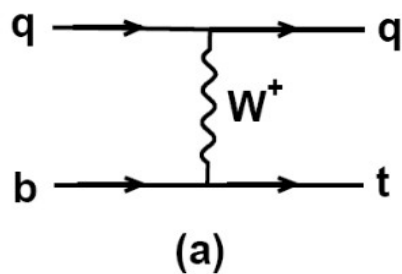
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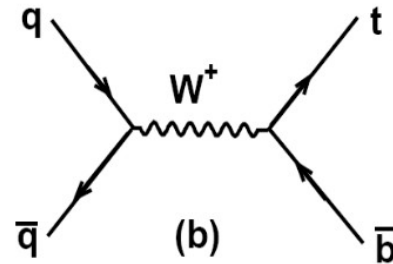
Single top quark production at the LHC:

$$\mathcal{L} = \frac{V_{tb}}{2\sqrt{2}} g_w (\bar{b} \gamma^\mu (1 - \gamma^5) W_\mu^- t + \bar{t} \gamma^\mu (1 - \gamma^5) W_\mu^+ b)$$

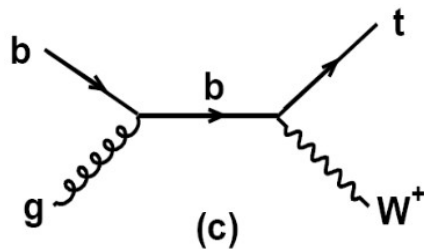
leading order diagrams for single top production



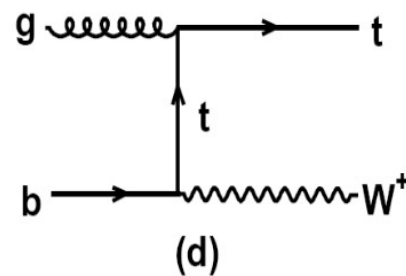
t-channel



s-channel



associated tW production

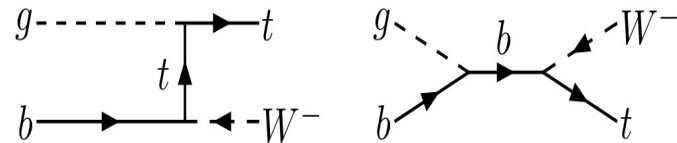


Single Top tWb processes at the LHC:

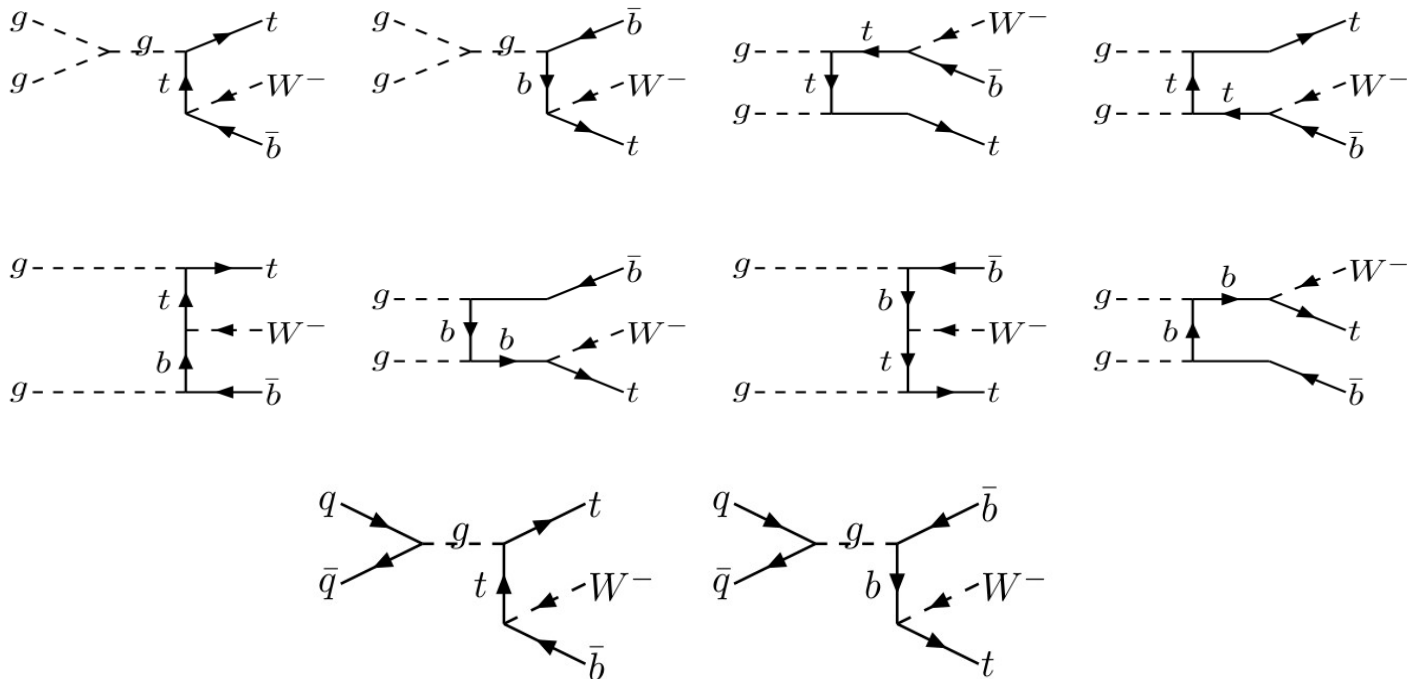
- tWb channel gives a significant contribution to the Single Top signal at the LHC
- SingleTop tWb is one of the main backgrounds for $t\bar{t}$

Single top quark tWb production at the LHC:

Diagrams for leading order $2 \rightarrow 2$ tW production



$O(1/\log(m_t/m_b))$ $2 \rightarrow 3$ processes

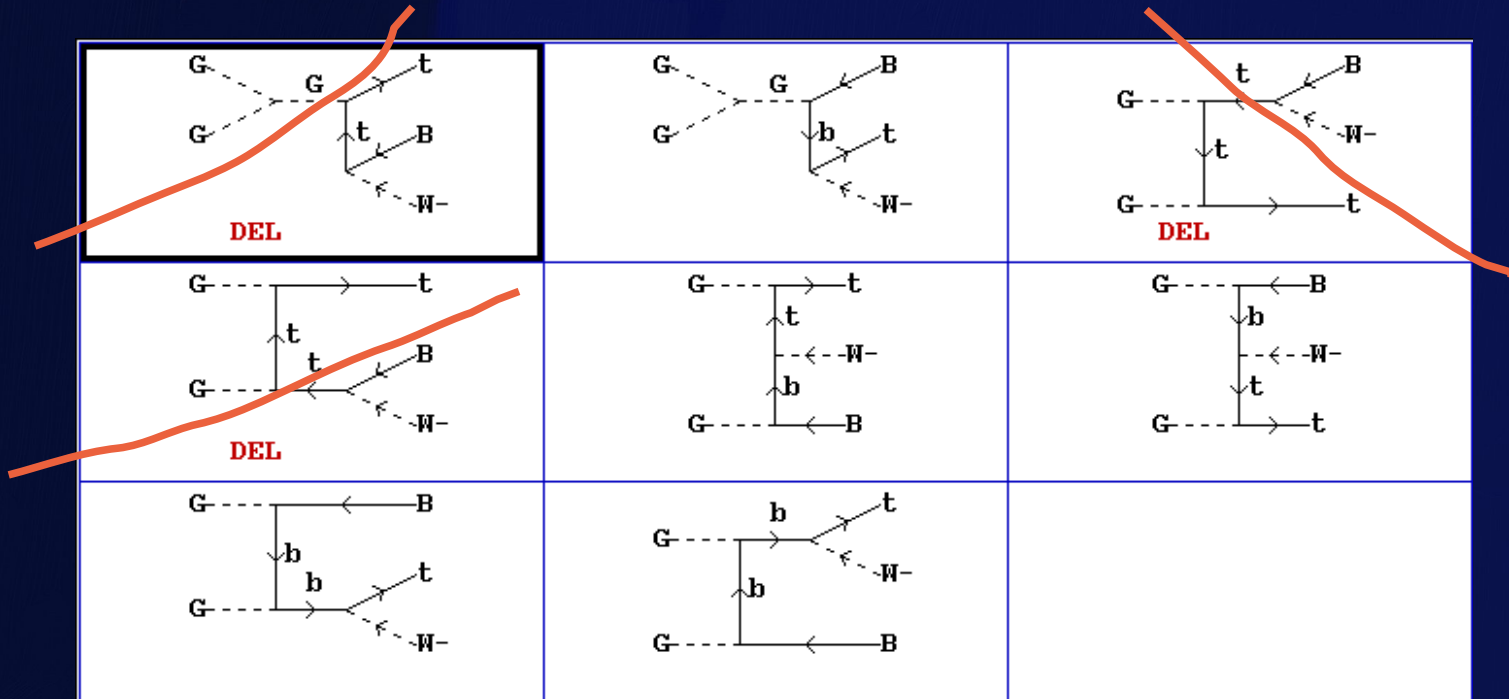


Problems of tWb modeling:

- 1. Discriminate single top tWb and $t\bar{t}$ events
- 2. Matching $2 \rightarrow 2$ +ISR and $2 \rightarrow 3$ events
(Treatment of the double counting: combining of the Wt +ISR and complete tWb processes)

Methods of discriminating single top tWb and $t\bar{t}$ -bar

Naive Removing $t\bar{t}$ -bar resonant diagrams in the tWb amplitude



This method IS NOT SUITABLE for real modelling !

- 1. No interference between SingleTop and $t\bar{t}$ -bar
- 2. Wrong rate
- 3. kinematic distributions are wrong
- 4. Wrong spin correlations

Methods of discriminating single top tW and $t\bar{t}$

tW is distinguished by cuts:

- $|M(Wb)-Mt| < k\Gamma_t$, $k=15$

Belayev, Boos, Dudko, hep-ph/9806332

Tait, hep-ph/9909352

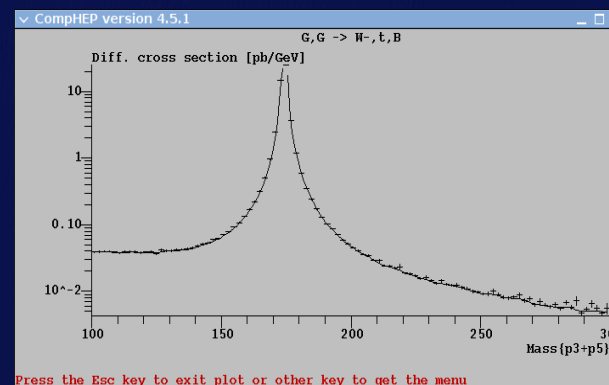
Used with Comphep (1998)

Pro: complete spin correlations and interference terms

Contra: removing some invariant mass region.

- $p_T(\text{associated } b) < 65 \text{ GeV}$
Final state “ WWb ”, defined by this veto, is called tW

Campbell, Tramontano, hep-ph/0506289



Methods of discriminating single top $tW\bar{b}$ and $t\bar{t}$

Local cancellation of resonant $t\bar{t}$ contribution

$$\sigma(gg \rightarrow tW\bar{b})_{\text{single top}} = \sigma(gg \rightarrow tW\bar{b})_{\text{total}} - k^2 \cdot \sigma(gg \rightarrow tW\bar{b})_{\text{Narrow Width Approach}}$$

$$k = 0.01 \quad \Gamma_{\text{Narrow}} = 0.0001 \cdot \Gamma_t$$

In the region where invariant mass of Wb system is close to top quark mass the behaviour of partonic cross section may be expressed as (Tait, hep-ph/9909352):

$$k^2 \cdot \sigma(gg \rightarrow tW\bar{b})_{\text{Narrow Width Approach}} = \sigma(gg \rightarrow t\bar{t}) \cdot Br(t \rightarrow W\bar{b})$$

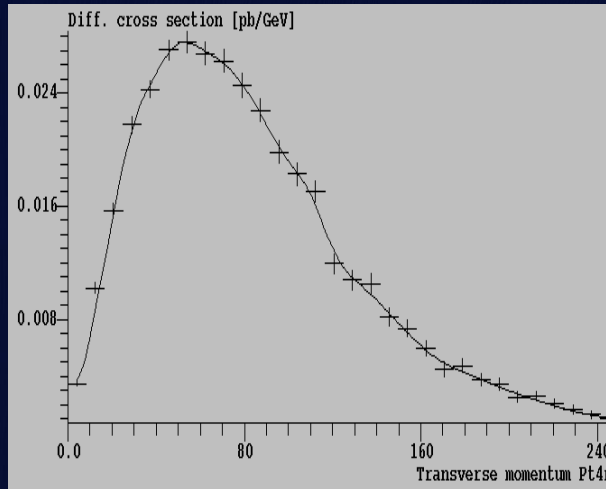
Pro:

- gauge invariant,
- correct total rate,
- correct spin correlation,
- complete set of interference terms,

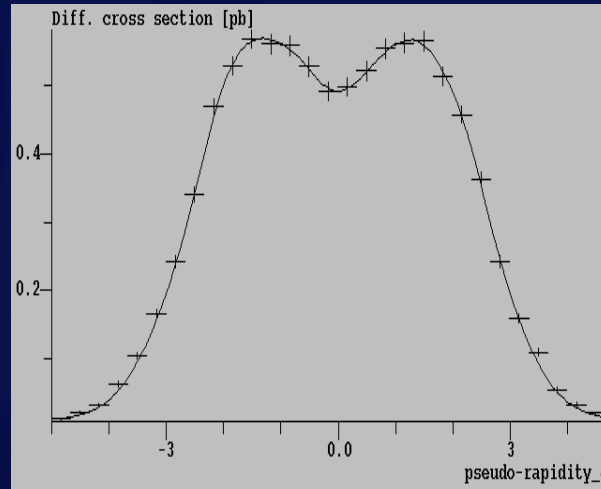
Contra:

- slow speed of calculations
- there are some events with negative weights,

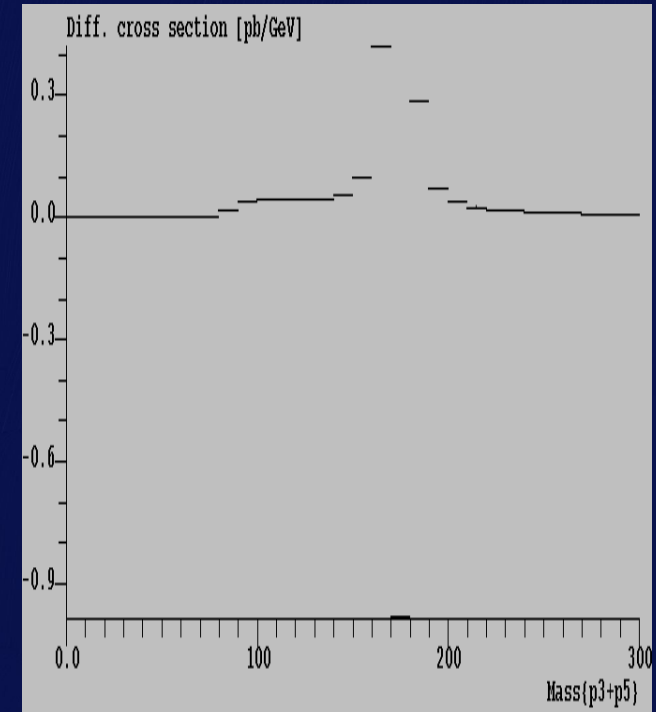
Kinematic distributions after applying local subtraction procedure



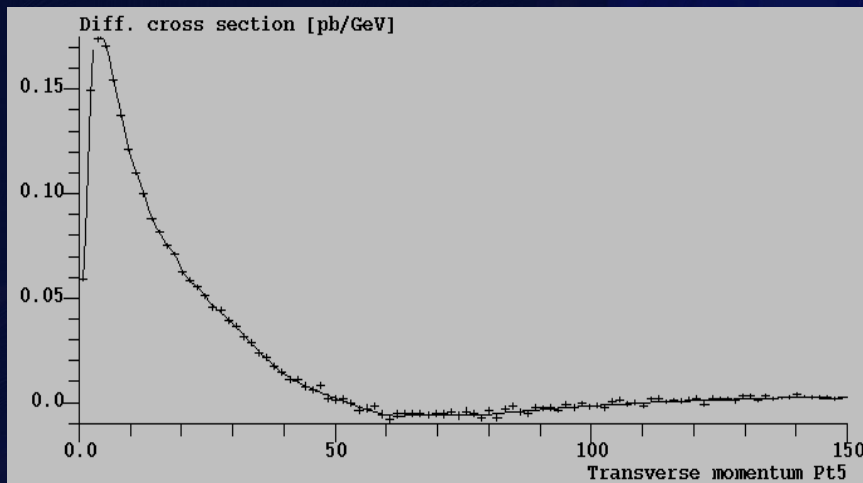
PT of top-quark



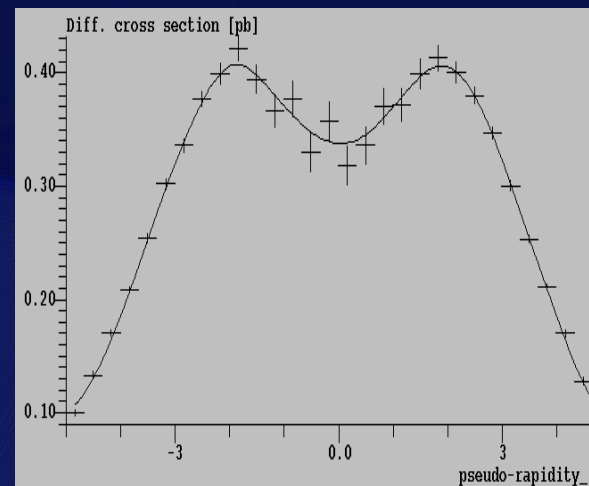
Pseudo-rapidity of top-quark



Wb-invariant mass



PT of b-quark



pseudo-rapidity of b-quark

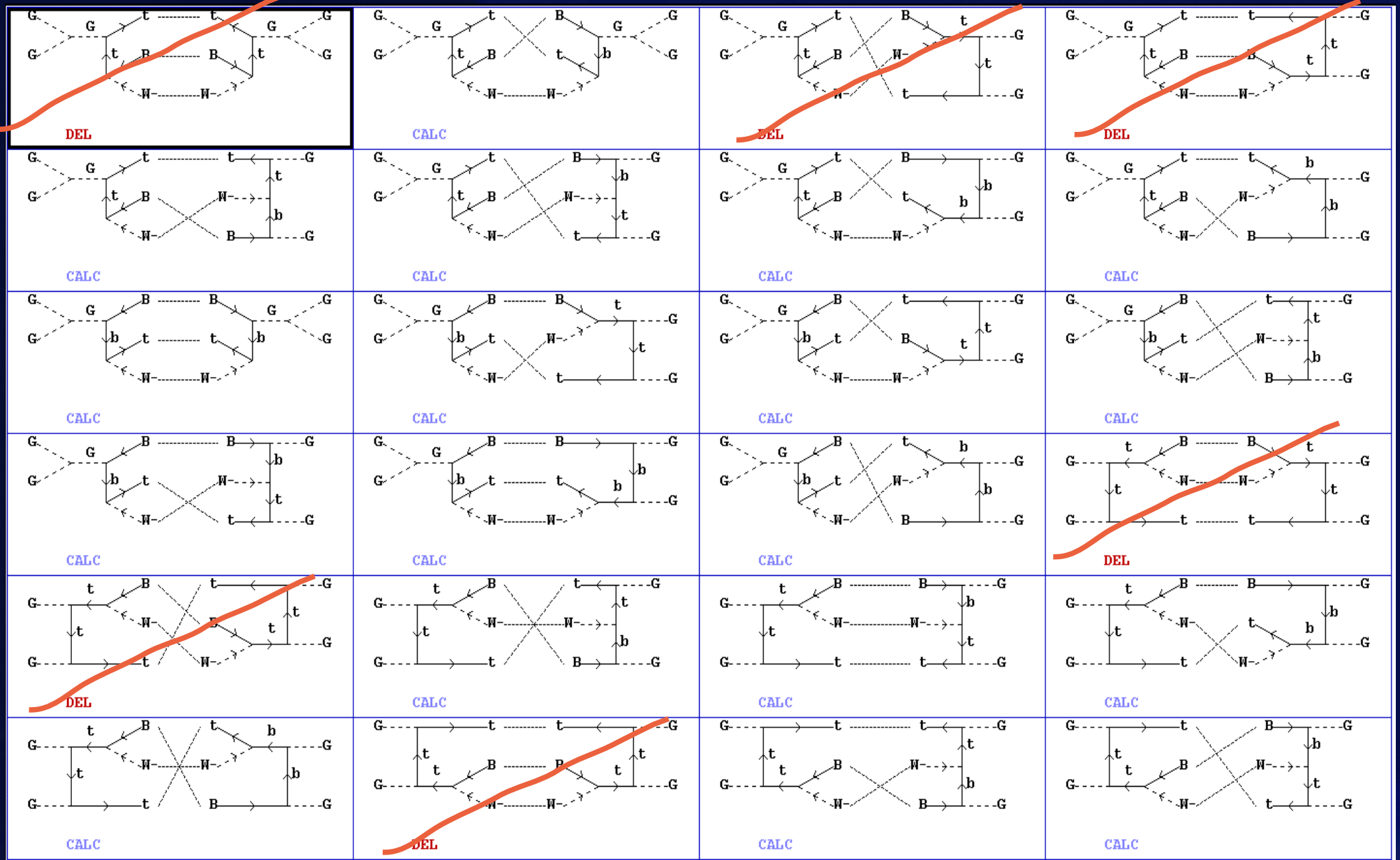
$\sigma = 3.1 \text{ pb}$

**Method of “Local cancellation of resonant $t\bar{t}$ contribution”
is good for accurate calculations of cross section,**

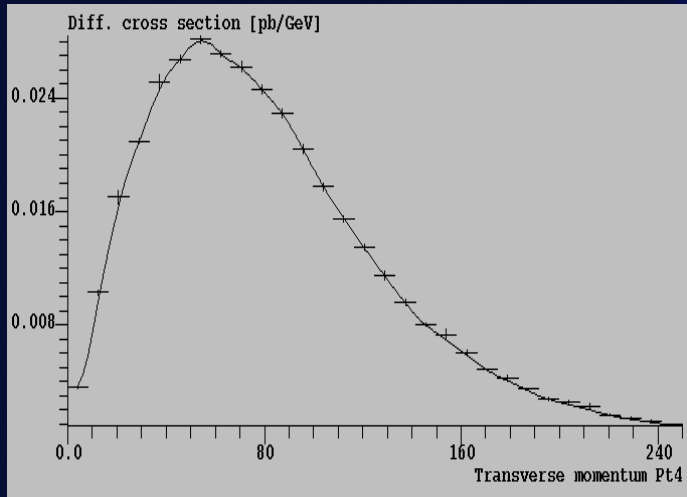
**but it leads to events with negative weights, to additional singularities
and increases the computation time.**

We need a more efficient method for generating MC events

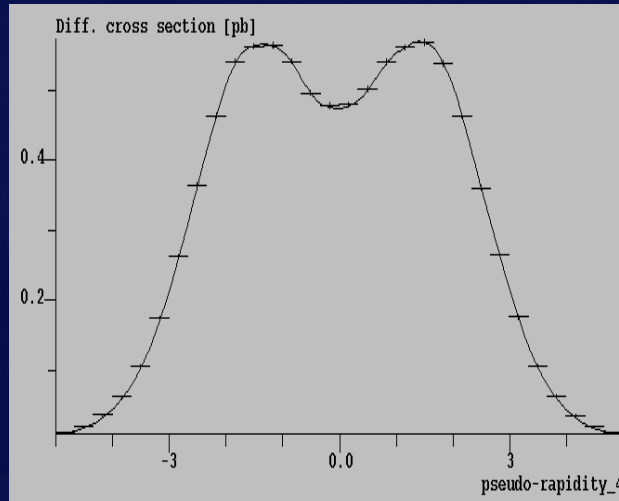
Removing tt-bar resonant squared diagrams in the matrix element



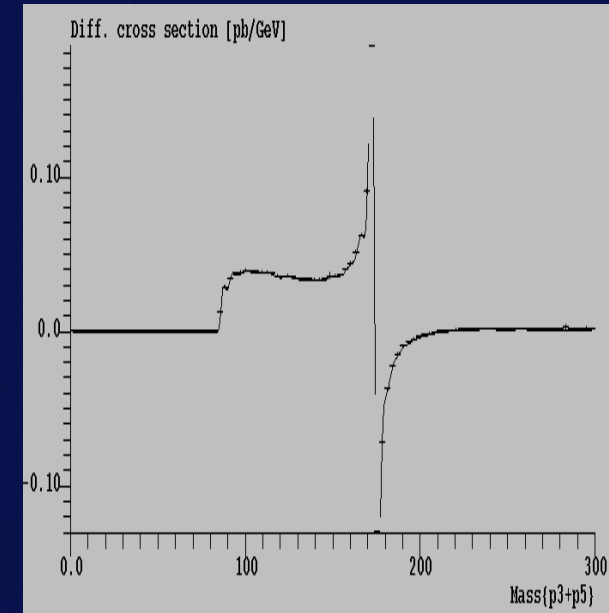
Kinematic distributions after removing tt-bar resonant squared diagrams in the matrix element



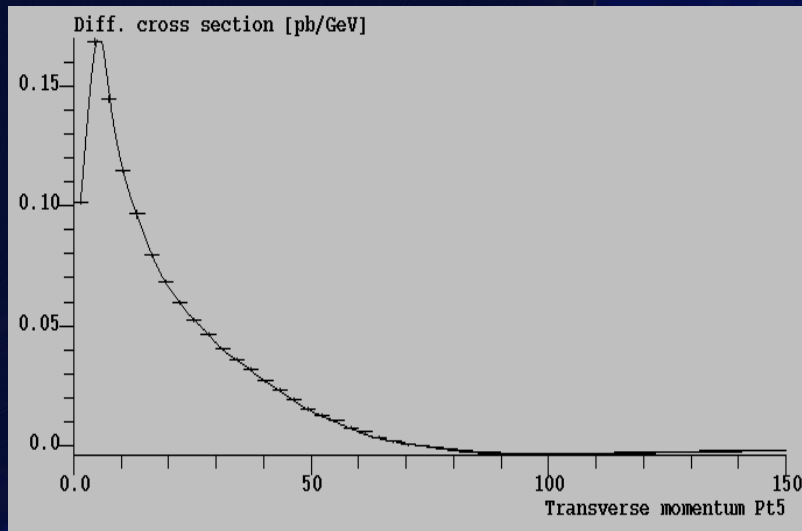
PT of top-quark



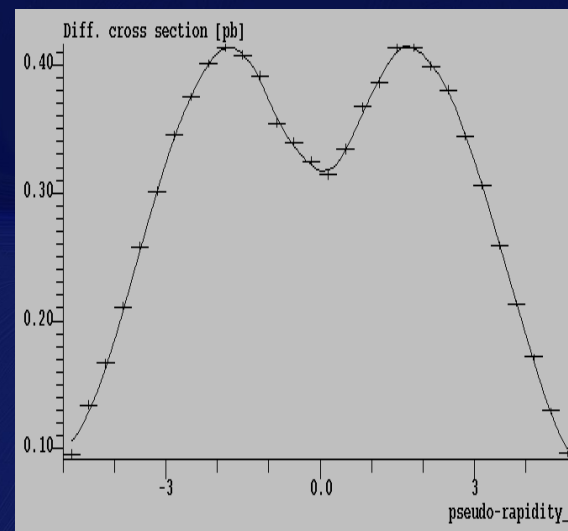
Pseudo-rapidity of top-quark



Wb-invariant mass



PT of b-quark



pseudo-rapidity of b-quark

$\sigma = 3.1 \text{ pb}$

**Method of “Removing tt-bar resonant squared diagrams”
is rather good,**

**It keeps interference, spin correlations and correct rate
but it leads to additional singularities.**

Method needs some corrections ->

Applying wide width approach procedure to the interference terms after removing tt-bar resonant squared diagrams

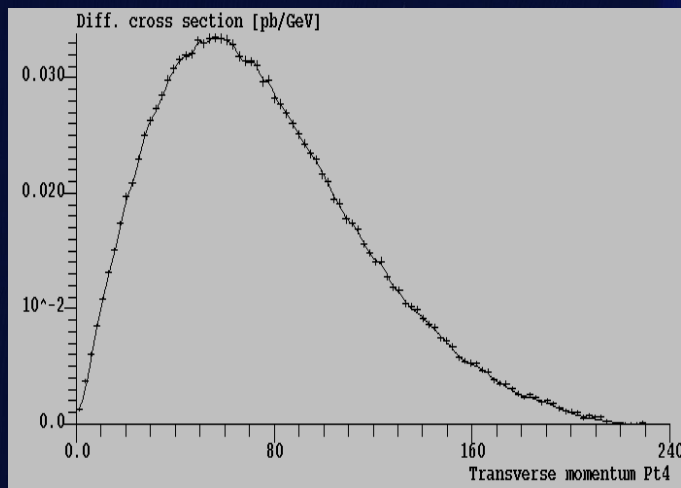
$$\sigma(gg \rightarrow t W \bar{b})_{SingleTop} = \sigma_{SingleTop Resonant} + k^2 \cdot \sigma_{Interference(SingleTop + t \bar{t})}^{Wide Width Approach}$$

$$k = 10 \quad \Gamma_{wide} = 10000 \text{ GeV}$$

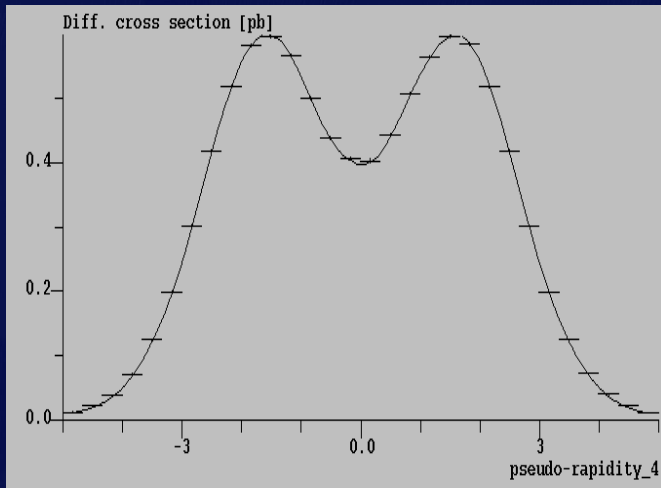
Pro:

- correct total rate,
- correct spin correlation,
- correct kinematic distributions
- complete set of interference terms,
- there are no events with negative weights,
- high speed of calculations,
- straightforward way to produce events beyond SM (with anomalous couplings etc...).

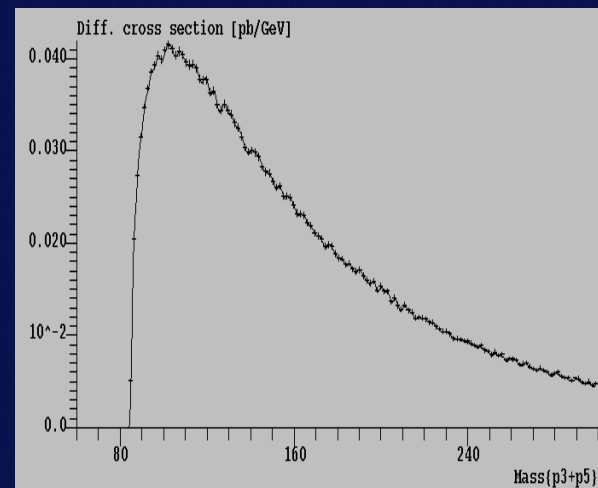
Kinematic distributions after removing tt-bar resonant squared diagrams and applying wide width approach



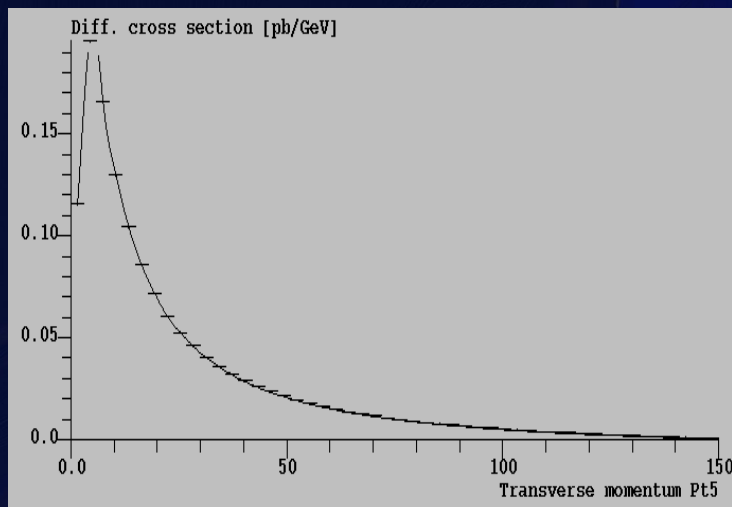
PT of top-quark



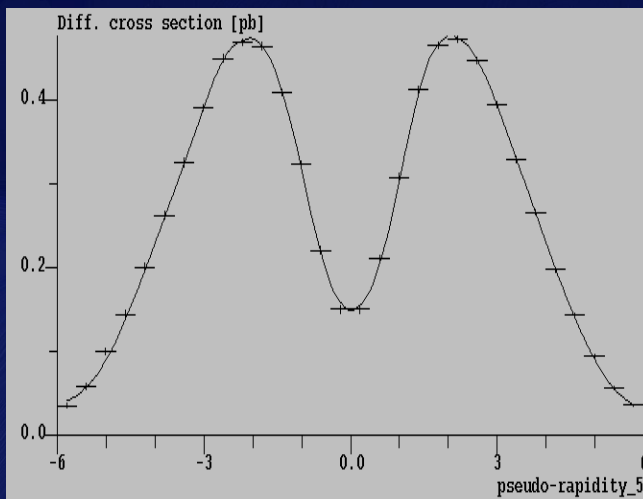
Pseudo-rapidity of top-quark



Wb-invariant mass



PT of b-quark



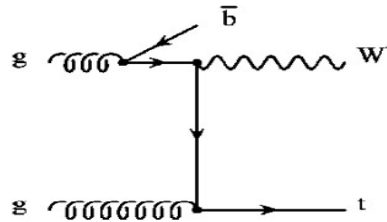
pseudo-rapidity of b-quark

$\sigma = 3.2 \text{ pb}$

Treatment of the double counting: combining of the Wt+ISR and complete tWb processes (Matching 2→2 +ISR and 2→3 events).

Monte-Carlo generator SingleTop (NLO approach).
(the same method as for t-channel NLO simulations)

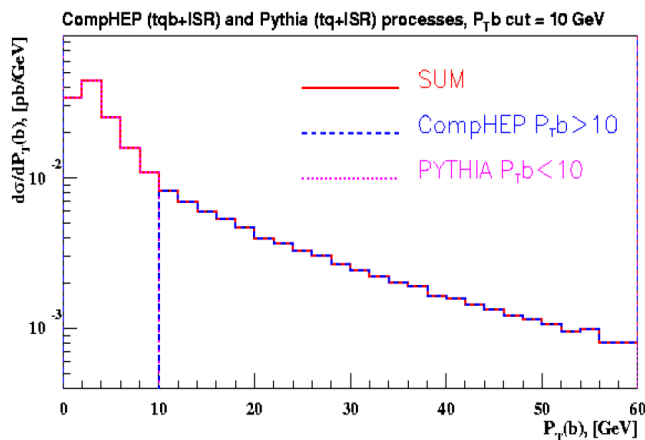
(Boos, Bunichev, Dudko, Savrin, Sherstnev, Phys.Atom.Nucl.69 (2006) 1317)



MC Events with $P_T(b) > P_T^0$ (hard region) modelled in the CompHEP.

MC Events with $P_T(b) < P_T^0$ (soft region) modelled with ISR simulation in the Pythia.

Combining events from CompHEP at the Pythia level:



The relative contributions of the processes of the Pythia and CompHEP determined from the normalization conditions to the total NLO cross section

$$\sigma_{NLO} = K \cdot \sigma_{2 \rightarrow 2 + ISR} \Big|_{P_T(b) < P_T^0} + \sigma_{2 \rightarrow 3} \Big|_{P_T(b) > P_T^0} \cdot$$

P_T^0 - some value of the transverse momentum of additional b-quark

K-factor is chosen from the condition of smoothness of the distribution $P_T(b)$

Generator SingleTop correctly simulates the NLO correction.

No events with negative weights and there is no double counting of events

Concluding Remarks

- Developed a new algorithm for accurate modelling the single top tWb signal using CompHEP.
- First results of calculations is obtained.

Remains to be done

- Producing tWb events with anomalous couplings (in progress).
- Compare distributions from CompHEP-based generator SingleTop with other generators.